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FACULTY OF ARTS AND SCIENCE / DEPARTMENT OF MATHEMATICS, STATISTICS AND COMPUTING SCIENCE

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75:viii:1

Neil Sloane
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Dear Neil,

Thanks for yours of 75:vii:16. Eureka! Peccavi! Mission accomplished! Or at least begun. I am writing this in Cambridge, but will bring it with me for Karen to type. I have just packed an inch thick file of finite fields to take to Calgary. Conway will also be there by the end of the month. I suggest you try to spend a week in Calgary (I can find the fare and reasonable expenses) and help edit and publish the tables, say in the Calgary "Yellow Series". Times when not to come: Not before 75:ix:7 (first week of term); not after 75:xii:14 (Canad. Math. Congress, W. Coast Number Theory Conf., Conway leaving); not first week of Oct. (Winterpeg; will you be there? Erdős, Lehmers and many others will). Selfridge will probably visit the week of U.S. Thanksgiving, 75:xi:23-30; that might be a reason for or against coming then; probably the latter if we want to get work done on a specific project.

*

Here are some more sequences, arising from R. Epstein's game: players name non-negative integers, each one obtainable from the previous by $m := m \pm \lfloor \sqrt{m} \rfloor^2$. If the P -positions (previous player winning) are denoted by p_i ($p_0 = 0$ by definition), then $m^2 + p_i$ are N -positions (next player winning), provided $p_i \leq 2m$. There are also some other N -positions in which the next player wins by taking the + alternative:

11, 44, 52, 71, 84, 136, 208, 252, 284, 291, 296, 436, 444, 468, 491, 601, 704, 832, 918, 933, 976, 1164, 1169, 1184, 1276, 1291, 1558, 1684, 1699, 1708, 1724, 1837, 1856, 2028, 2123, 2389, 2536, 2619, 2624, 2664, ...

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✓ 2412

✓ 2080

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....12

* do you know who & where he is?

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The P -positions are 0, 5, 20, 29, 45, 80, 101, 116, 135, 145, 165, 236, 257, 397, 404, 445, 477, 540, 565, 580, 585, 629, 666, 836, 845, 885, 909, 944, 949, 954, 975, 1125, 1177, 1305, 1310, 1350, 1380, 1440, 1445, 1616, 1649, 1654, 1669, 1818, 1833, 1901, 1937, 1988, 2263, 2280, 2320, 2325, 2340, 2405, 2501, 2516, 2541, 2586, 2612, 2705, 2845, 2861, 3039, 3079, 3150, 3185, 3365, 3380, 3389, 3405, 3601, 3621, 3625, 3630, 3654, 3705, 3860, 4053, 4105, 4239, 4541, 4693, 4708, 4813, 4901, 4921, 4930, 4981, 5036, 5220, 5225, 5265, ...

λ 173

λ 3573
λ 4581

λ 3341

The complete sequence of N -positions is 1, 4, 9, 11, 14, 16, 21, 25, 30, 36, 41, 44, 49, 52, 54, 64, 69, 71, 81, 84, 86, 100, 105, 120, 121, 126, 136, 141, 144, 149, 164, 169, 174, 189, 196, 201, 208, 216, 225, 230, 245, 252, 254, 256, 261, 276, 284, 285, 289, 291, 294, 296, 309, 318, 324, 329, 344, 353, 361, 366, 381, 390, 400, 405, 420, 429, 436, 441, 444, 446, 461, 468, 470, 484, 489, 491, 504, 513, 529, 534, 549, 558, 574, 576, 581, 596, 601, 605, 621, 625, 630, ...

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λ 92

Could you help me with problem B26.7 of Chapter N of Croft & Guy on "Research Problems in Intuitive Mathematics"? At present it reads "Sloane also asks for a direct proof that

$$\sum_{i=0}^{24m-4} \binom{24m-4}{i} \binom{5m-1-i/4}{4m-1} = 2^{12m} \binom{5m-1}{m}, \quad m \geq 1,$$

where... something wrong! Write Neil. An indirect proof is known".

Hope I see you soon.

Best wishes,



Richard

RKG:km